

Adaptive Truck Priority Signal System

Yanbo Zhao, Tooraj Rajabioun, and Petros Ioannou
Center For Advanced Transportation Technologies

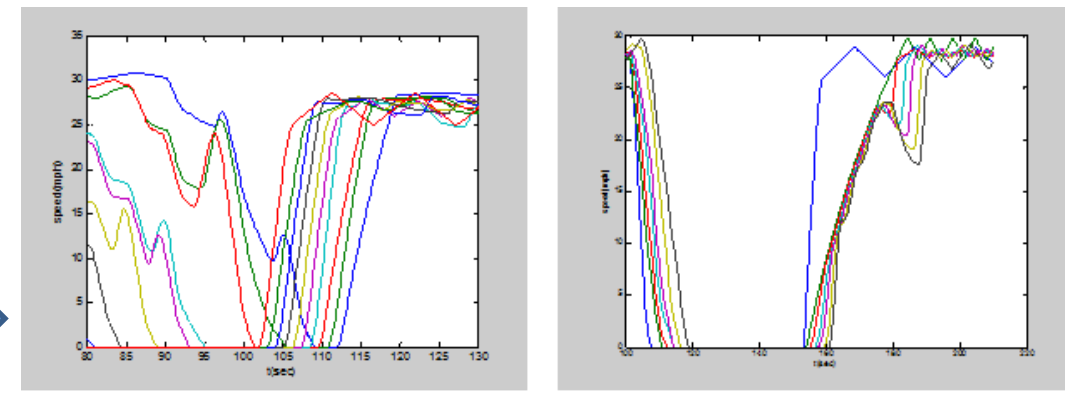
Motivation

Differences between Passenger Cars and Trucks

Acceleration Rates of Cars and Trucks		
Speed Range (mph)	Passenger Car	Typical Truck
0-20	7.5	1.6
20-30	6.5	1.3
30-40	5.9	0.7
40-50	5.2	0.7
50-60	4.6	0.3

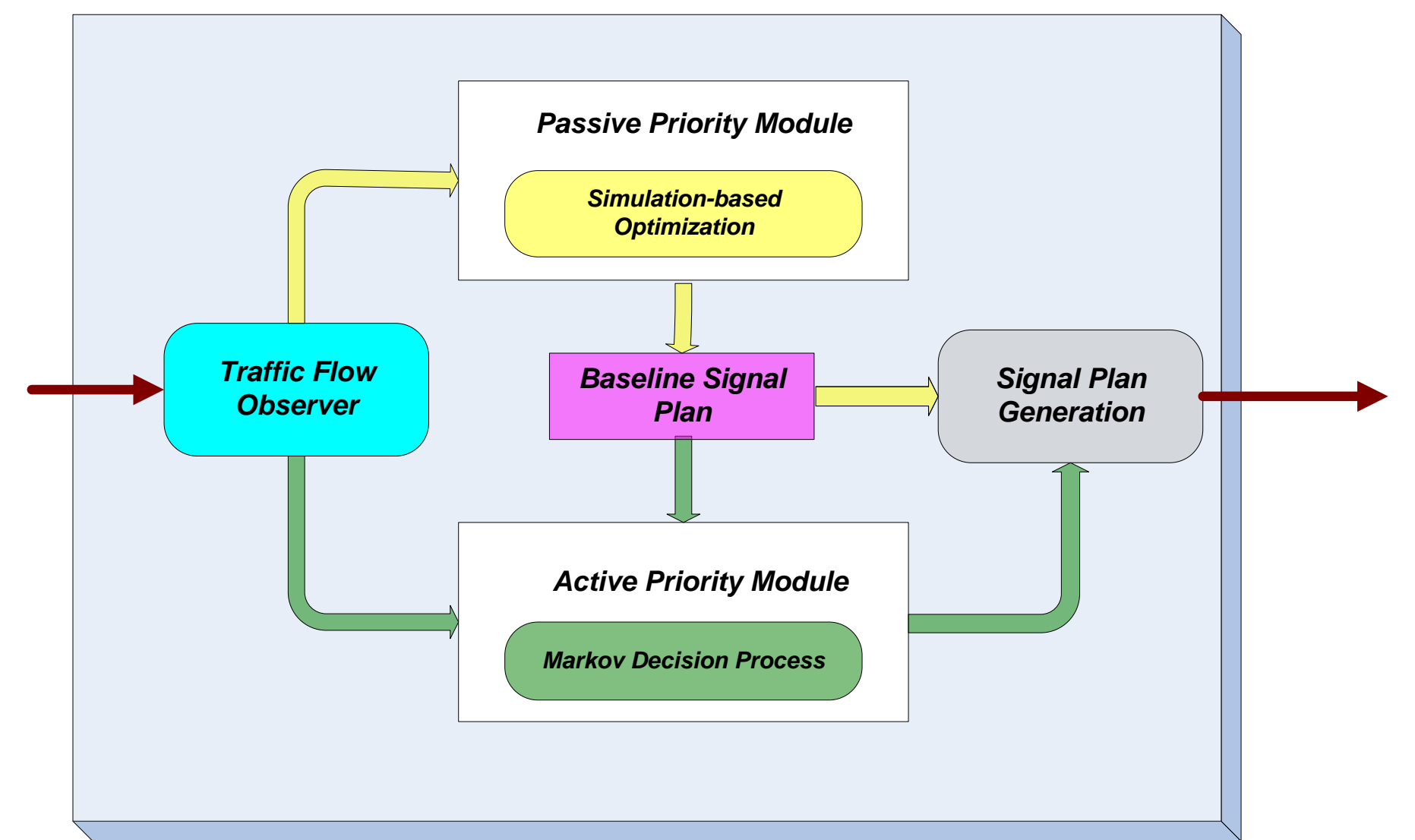
Avg. Emission Rates of Cars and Trucks		
Pollutant	Emission Rates (g/h)	
	Passenger Car	Typical Truck
VOC	2.683	6.495
THC	3.163	7.260
CO	71.225	151.900
NOx	3.515	5.330

Two Vehicle Queues Before Traffic Signal

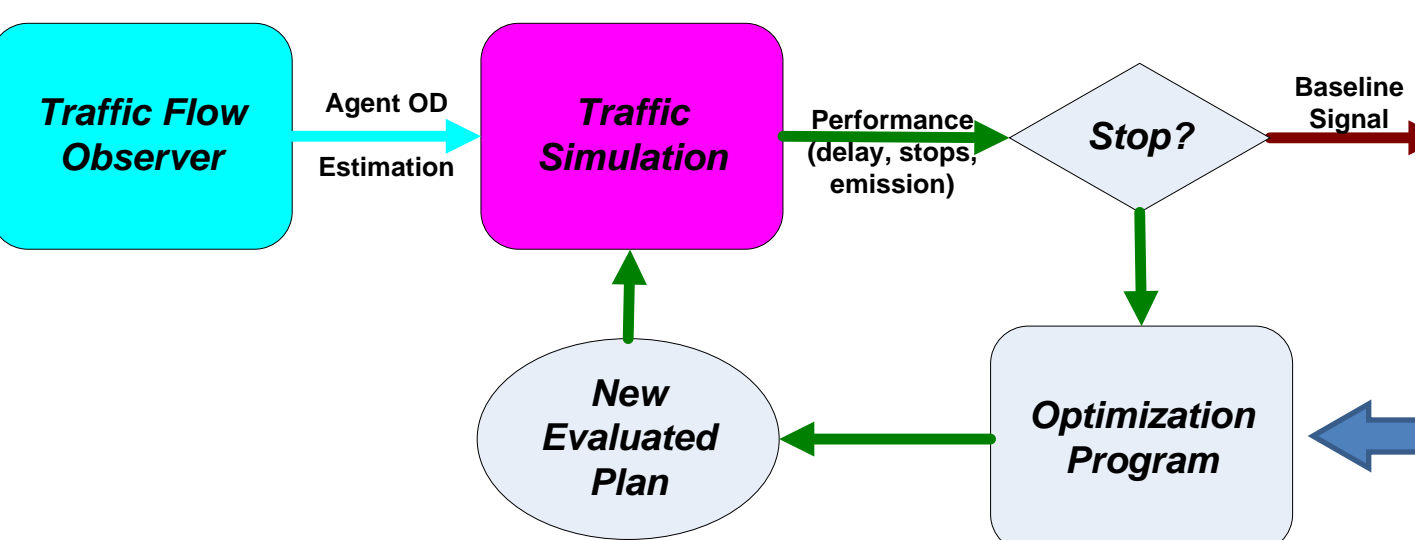
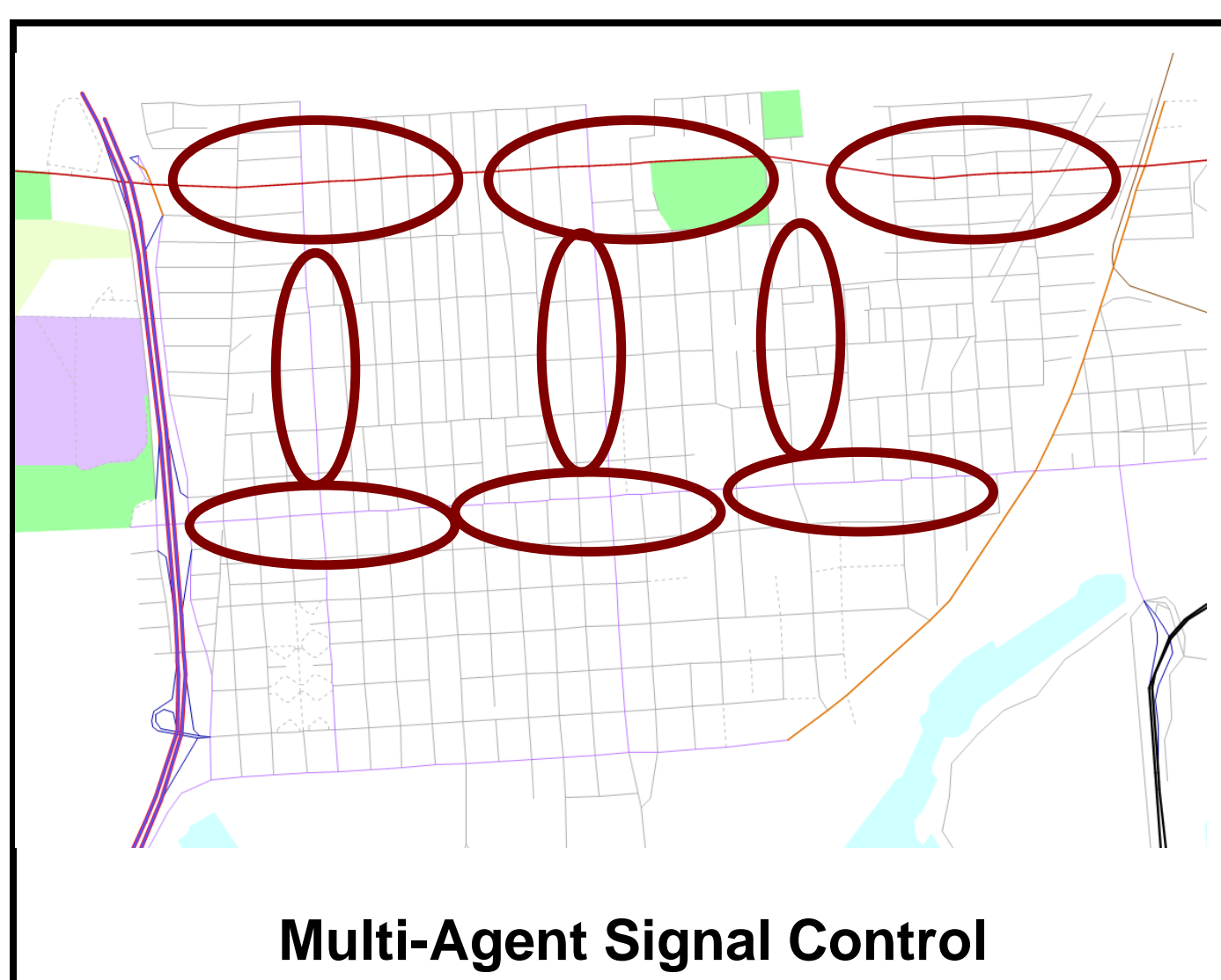


- Increasing total traffic delay
- Increasing total pollutant emissions

Solution



Simulation-based Passive Priority Module



$$\min_{c, g, o} J(x) = TD(c, g, o) + \beta ST(c, g, o) + \gamma EM(c, g, o)$$

$$s.t. \quad c \in [c_{min}, c_{max}]$$

$$g_i \in [g_{i, min}, g_{i, max}]$$

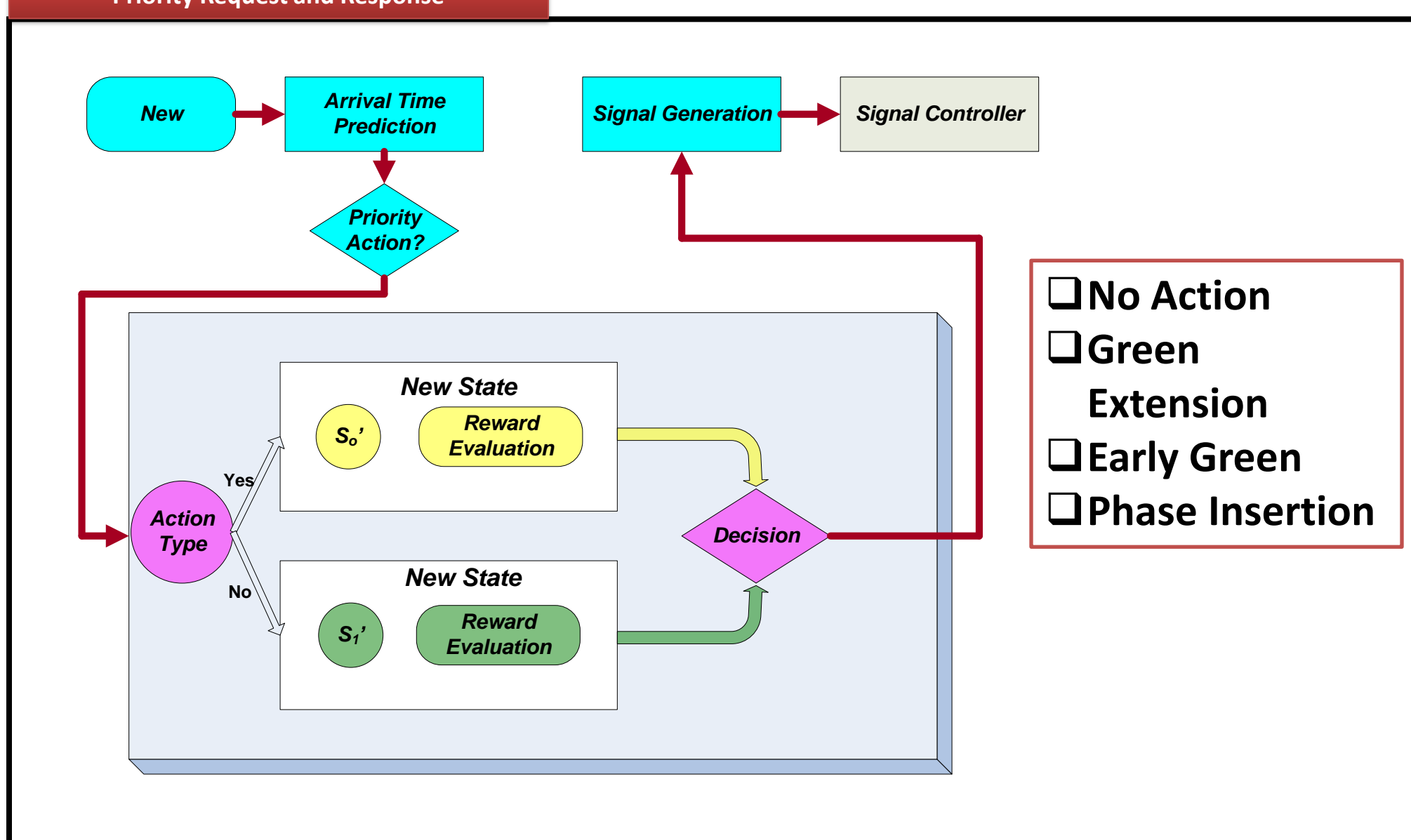
$$o_i \in [o_{i, min}, o_{i, max}]$$

$$\forall i \in 1, \dots, m$$

- Initialization at $k=0$:**
- For each phase, initialize its green length and offset, then obtain an initial solution x_0 ;
 - Select search direction vector $d = (d_1, d_2, \dots, d_n)$;
 - Select algorithm parameters: $\lambda \in [1, \infty)$, $\theta \in (0, 1)$, and ϵ .
- For each time step k , do:**
- Evaluate the value of objective cost function with simulation, get $J(x_k)$;
 - For each search direction $i = 1, 2, \dots, n$:
Compute directional search step s_i^k ;
Evaluate $J(x_k + s_i^k)$ if $x_k + s_i^k$ is a feasible solution;
End for
 - Select $s_k = \arg \min_i J(x_k + s_i^k)$;
 - If $f(x_k + s_k) \geq f(x_k)$
Update step size $\Delta_{k+1} = \theta \Delta_k$ and $x_{k+1} = x_k$
Else
Update $\Delta_{k+1} = \lambda \Delta_k$ and $x_{k+1} = x_k + s_k$;
 - If $\Delta_{k+1} \leq \epsilon$, stop algorithm and return x_{k+1} ;
- End for**

Active Priority Module

Priority Request and Response



Optimal Decision Iteration

$$a = \{a_1, a_2, a_3, \dots, a_r\} \quad a_i = \begin{cases} 1, & \text{give the priority} \\ 0, & \text{refuse the priority} \end{cases}$$

$$(\hat{\theta}_1(t), \hat{\theta}_2(t), \dots, \hat{\theta}_n(t)) = f_{in}(t|s) - f_{out}(t|s, a)$$

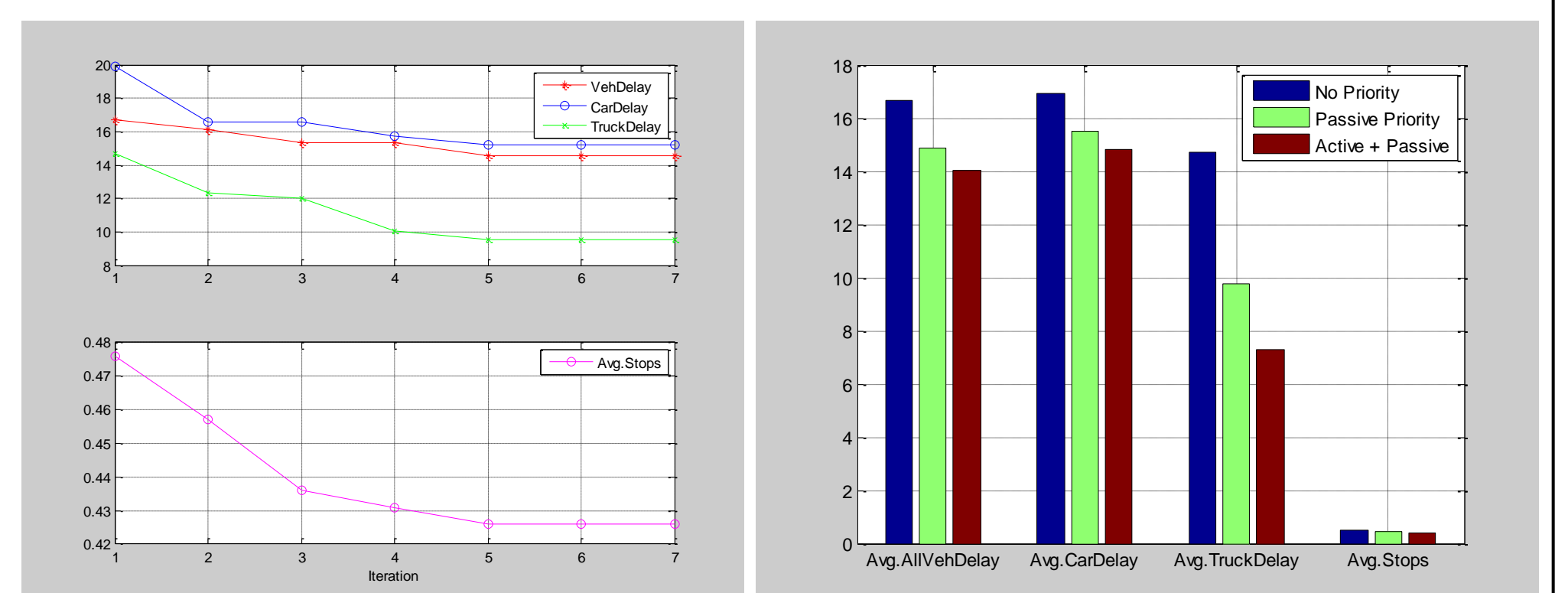
$$R_a(s, s') = -\frac{1}{T} \sum_t \int_t^{t+T} w_t \theta_t(\tau) d\tau$$

$$\pi(s) := \arg \max_a \left\{ \sum_{s'} P_a(s, s') (R_a(s, s') + \gamma V(s')) \right\}$$

$$V(s) := \sum_{s'} P_{\pi(s)}(s, s') (R_{\pi(s)}(s, s') + \gamma V(s'))$$

Measurements

Fixed OD Input



Dynamic OD Input

	No Priority	Passive Priority		Active + Passive Priority	
		Value	Improved Percent	Value	Improved Percent
Avg. Delay/Veh (sec)	15.767	15.216	3.49%	14.391	8.73%
Avg. Delay/Car (sec)	15.993	15.498	3.10%	14.871	7.02%
Avg. Delay/Truck (sec)	12.697	11.383	10.35%	7.861	38.09%
Avg. Stops/Veh	0.463	0.471	-1.73%	0.440	4.97%
Avg. Stops/Car	0.466	0.477	-2.36%	0.456	2.15%
Avg. Stops/Truck	0.418	0.399	4.55%	0.229	45.22%
Avg. Speed/Veh (mph)	28.631	28.760	0.45%	28.956	1.14%