

Energy-Efficient, Heterogeneous Sensor Selection for Physical Activity Detection in Wireless Body Area Networks

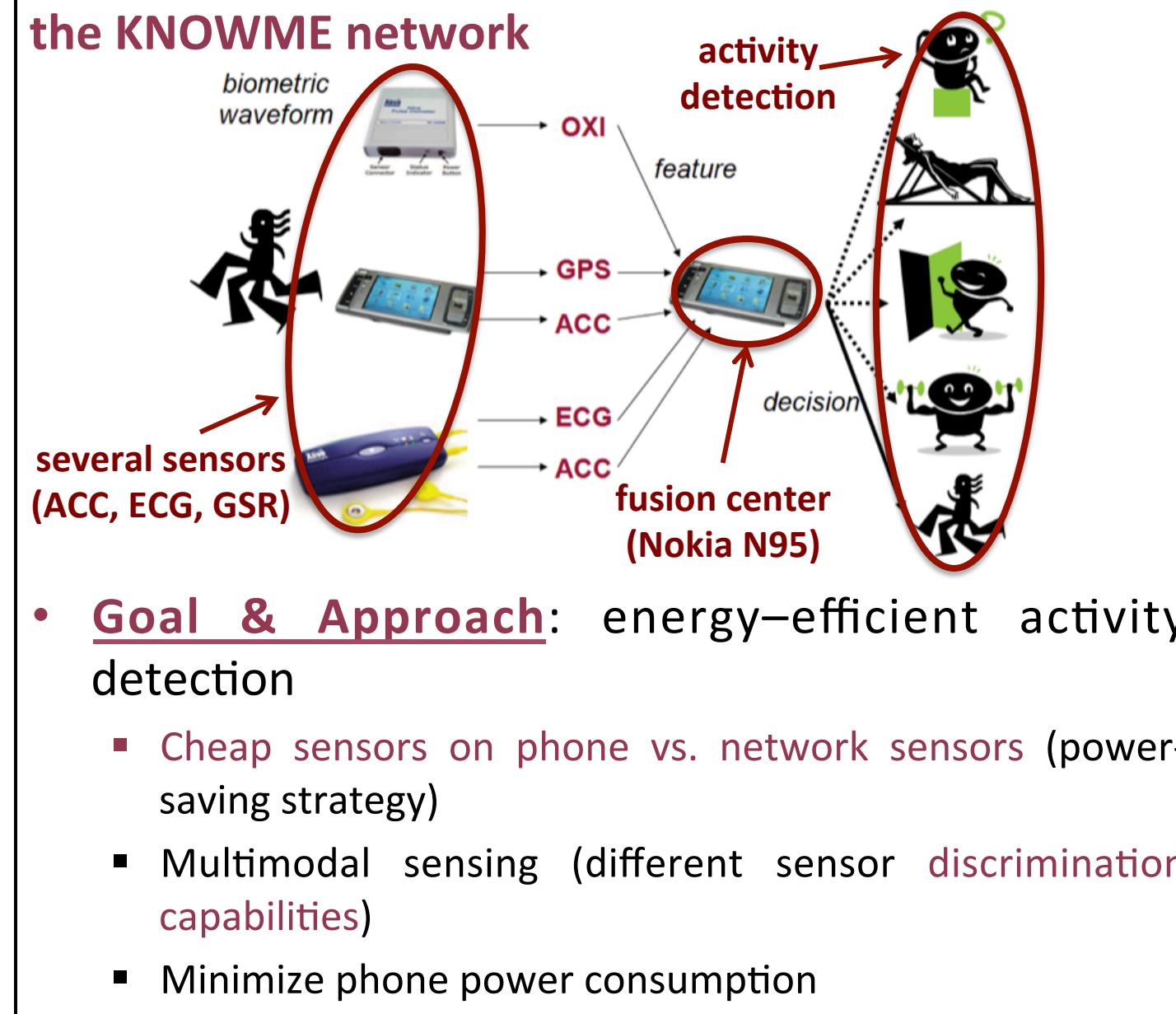
Daphney-Stavroula Zois*, Marco Levorato*,# and Urbashi Mitra*

{zois,ubli}@usc.edu, levorato@stanford.edu

Introduction

- Wireless Body Area Networks (WBANs) = sensor networks with,
 - on-body heterogeneous sensors
 - fusion center (a personal device)
- Biometric sensors: ECG, accelerometers, oxygen, insulin, GSR, etc.
- Applications: health, military, sports, emergency response
- Challenges:
 - (New sensors)
 - Reliability, real-time operation
 - Security, Privacy, User-friendliness
 - POWER CONSERVATION**

System Overview & Characteristics



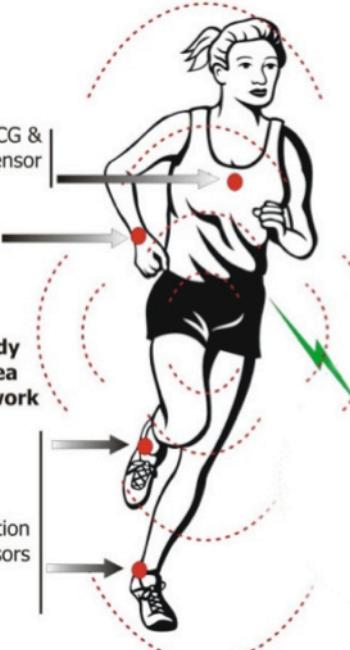
- Wireless communication via Bluetooth

unique constraints

- limited sensor network lifetime

OPTIMIZE ENERGY RESOURCES AT N95

Jovanov et al. Journal of NeuroEngineering and Rehabilitation 2005



- Stochastic dynamical system
- Optimized behavior through sequential decisions

Prior Work

- Typical sensor networks: power minimized at nodes

MDP Framework – select transmission modes / sampling rates / sensor subsets [Chen07, Williams07, Seyed07]

POMDP Framework – select sensor subsets [Krishnamurthy07, Atia11, Fuemmeler11]

Hierarchical structure / node clustering [Balasubramanian04, Cao05, Dutta05]

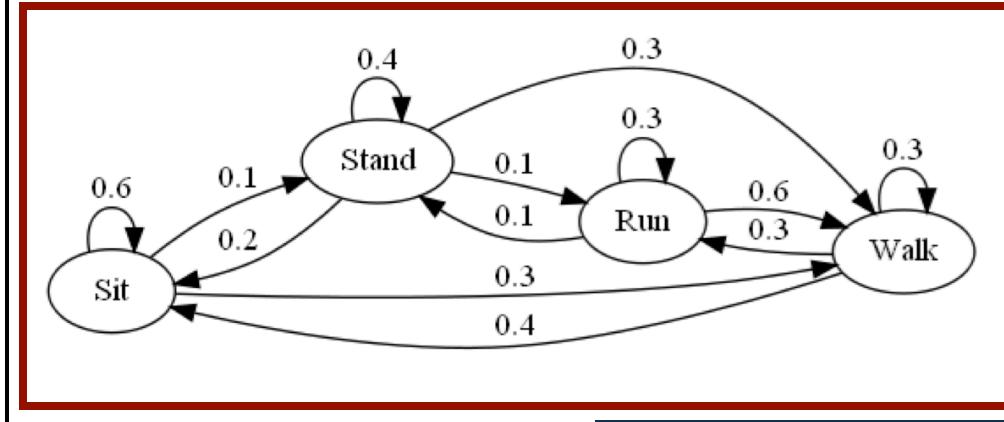
CMDP Framework – select sensor sampling policy [Wang10]

Smart feature Selection + Bayesian statistics [Zappi08, Wang11]

- We cannot use these methods since:

- Heterogeneous sensors in energy use and detection capabilities
- Time-evolving physical activity known through noisy observations
- Constrained energy budget of fusion center (vs. sensors)

POMDP System Execution



interaction between system components

When no samples are selected, no y_k is generated

$$y_k = [y_k^1, \dots, y_k^{N_1}, \dots, y_k^{N_{K-1}}, \dots, y_k^N]$$

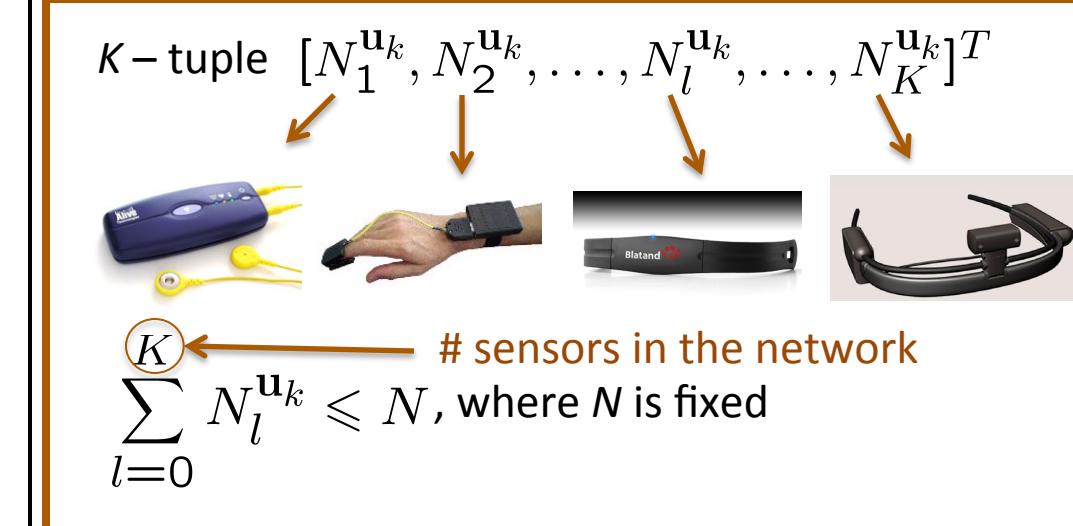
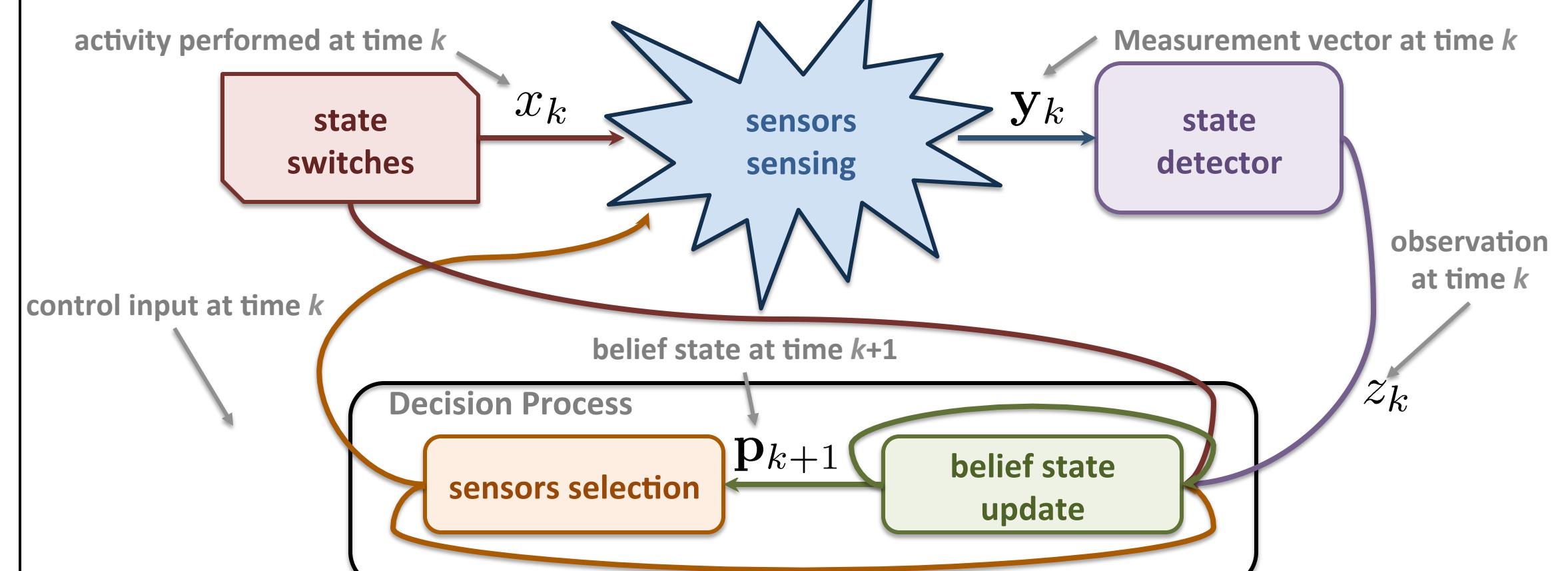
AR(1) multivariate Gaussian model

$$H_i^{\mathbf{u}_{k-1}} : y_k^i \sim \mathcal{N}(\mathbf{m}_i^{\mathbf{u}_{k-1}}, \Sigma_i^{\mathbf{u}_{k-1}}), i \in \mathcal{X}$$

sensors independent

$$\mathbf{m}_i^{\mathbf{u}_{k-1}} = \begin{bmatrix} \mu_{i,S_1}^{\mathbf{u}_{k-1}} \\ \mu_{i,S_2}^{\mathbf{u}_{k-1}} \\ \vdots \\ \mu_{i,S_K}^{\mathbf{u}_{k-1}} \end{bmatrix}, \Sigma_i^{\mathbf{u}_{k-1}} = \begin{bmatrix} \Sigma_i^{\mathbf{u}_{k-1}(S_1)} & 0 & \dots & 0 \\ 0 & \Sigma_i^{\mathbf{u}_{k-1}(S_2)} & \dots & 0 \\ \vdots & \vdots & \ddots & \vdots \\ 0 & 0 & \dots & \Sigma_i^{\mathbf{u}_{k-1}(S_K)} \end{bmatrix}$$

block-diagonal



$$\mathbf{p}_k = [p_k^1, p_k^2, \dots, p_k^n]^T \in \mathcal{P}$$

Belief space

- Some samples selected:
 $p_{k+1} = \frac{[\mathbf{P} \circ \mathbf{r}(\mathbf{u}_k, z_{k+1})]^T \mathbf{p}_k}{\mathbf{1}^T [\mathbf{P} \circ \mathbf{r}(\mathbf{u}_k, z_{k+1})]^T \mathbf{p}_k}$
- No samples selected:
 $p_{k+1} = \mathbf{P} \mathbf{p}_k$

- Estimated activity at time k based on \mathbf{y}_k
- Erasure value when no samples selected

Optimization Problem

$$\text{Cost function } J^\lambda = \mathbb{E} \left\{ \sum_{k=0}^{L-1} g^\lambda(x_k, \mathbf{u}_k) \right\}$$

$$\text{Total cost: } g^\lambda(x_k, \mathbf{u}_k) \doteq (1 - \lambda) P_e^W(x_k, \mathbf{u}_k) + \lambda \mathcal{E}(\mathbf{u}_k)$$

worst-case error probability

$$P_e^W(x_k, \mathbf{u}_k) \doteq \max_{x_{k+1}, z_{k+1}} \min_{x_{k+1} \neq z_{k+1}} [r(x_k, \mathbf{u}_k, x_{k+1}, z_{k+1})]$$

normalized energy cost

$$\mathcal{E}(\mathbf{u}_k) \doteq \frac{1}{C} \sum_{l=1}^K N_l^{\mathbf{u}_k} \delta_l$$

different for each sensor

- Partially observable, stochastic control problem

$$\min_{\mathbf{u}_0, \mathbf{u}_1, \dots, \mathbf{u}_{L-1}} J^\lambda$$

Methodology

Dynamic Programming (DP): $\bar{J}_k^\lambda(p_k) = \min_{\mathbf{u}_k \in \mathcal{U}} \mathbf{p}_k^T g^\lambda(\mathbf{u}_k) + \mathcal{A}(p_k, \mathbf{u}_k)$

$$\mathcal{A}(p_k, \mathbf{u}_k) = \begin{cases} \sum_{\theta=1}^n \mathbf{1}^T [\mathbf{P} \circ \mathbf{r}(\mathbf{u}_k, \theta)]^T \mathbf{p}_k \bar{J}_{k+1}^\lambda \left(\frac{[\mathbf{P} \circ \mathbf{r}(\mathbf{u}_k, \theta)]^T \mathbf{p}_k}{\mathbf{1}^T [\mathbf{P} \circ \mathbf{r}(\mathbf{u}_k, \theta)]^T \mathbf{p}_k} \right), & \mathbf{u}_k \neq \mathbf{0}_K^T \\ \bar{J}_{k+1}^\lambda(\mathbf{P} \mathbf{p}_k), & \mathbf{u}_k = \mathbf{0}_K^T \end{cases}$$

optimal but with high complexity 😕

$\mathcal{O}(n^3(d+1)^n \alpha L)$

- Minimum Integrated Cost Time Sharing Sensor Selection (MIC-T3S):**
 - Determine solution at corners of belief space via approximate DP
 - Solution at arbitrary belief state determined by time-sharing as

$$\hat{\mathbf{u}}_k^{\mathbf{p}_k} = p_k^1 \hat{\mathbf{u}}_k^{s_1} + \dots + p_k^n \hat{\mathbf{u}}_k^{s_n}$$

suboptimal but with lower complexity 😊

$\mathcal{O}(n^4 \alpha L)$

- Energy-Efficient Maximal Belief Approximate DP (E²MBADP)**

$$\max(p_k) \geq \tau$$

control that minimizes instantaneous energy cost

- Greedy Minimum Energy & Error Probability Sensor Selection (GME²PS²):**

Simulations

